

Script generated by TTT

Title: Petter: Compiler Construction (18.06.2020)
- 39: Demand Driven Evaluation

Date: Thu Jun 18 11:46:01 CEST 2020

Duration: 06:47 min

Pages: 9

Possible strategies:

- 1 let the *user* define the evaluation order



From Dependencies to Evaluation Strategies

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- 1 let the *user* define the evaluation order
- 2 *automatic* strategy based on the dependencies
- 3 consider a *fixed* strategy and only allow an attribute system that can be evaluated using this strategy

Linear Order from Dependency Partial Order

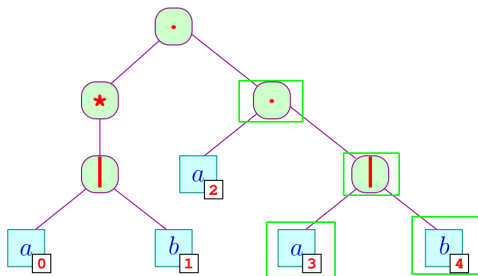
Possible *automatic* strategies:

Example: Demand-Driven Evaluation

Compute *next* at leaves a_2, a_3 and b_4 in the expression $(a|b)^*a(a|b)$:

$$\boxed{|} : \begin{array}{l} \text{next}[1] := \text{next}[0] \\ \text{next}[2] := \text{next}[0] \end{array}$$

$$\boxed{\cdot} : \begin{array}{l} \text{next}[1] := \text{first}[2] \cup (\text{empty}[2] ? \text{next}[0] : \emptyset) \\ \text{next}[2] := \text{next}[0] \end{array}$$



Linear Order from Dependency Partial Order

Possible *automatic* strategies:

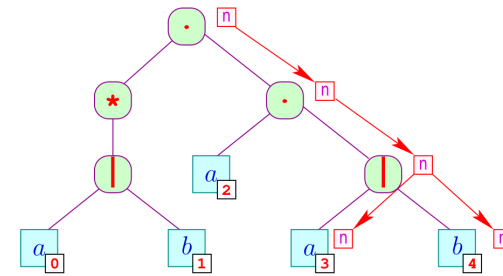
- 1 demand-driven evaluation
 - start with the evaluation of any required attribute
 - if the equation for this attribute relies on as-of-yet unevaluated attributes, evaluate these recursively
- 2 evaluation in passes
 - for each pass, pre-compute a *global strategy* to visit the *nodes* together with a *local strategy* for evaluation *within each node* type
 - \leadsto *minimize* the number of *visits* to each node

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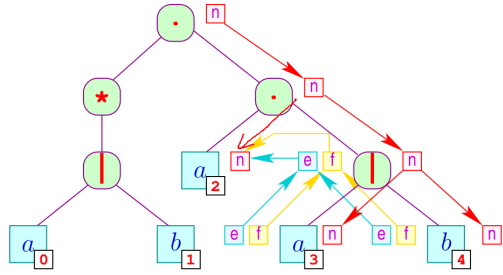


Example: Demand-Driven Evaluation

Compute `next` at leaves a_2, a_3 and b_4 in the expression $(a|b)^*a(a|b)$:

$\boxed{|}$: `next[1] := next[0]`
`next[2] := next[0]`

$\boxed{\cdot}$: `next[1] := first[2] \cup (empty[2] ? next[0]; \emptyset)`
`next[2] := next[0]`



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Demand-Driven Evaluation

Observations

- each node must contain a pointer to its parent
- *only required* attributes are evaluated
- the evaluation sequence depends – in general – on the actual syntax tree
- the algorithm must track which attributes it has already evaluated
- the algorithm may visit nodes more often than necessary
- \leadsto the algorithm is *not local*

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